## Maths workshop

Tuesday $3^{\text {rd }}$ December

## altogether

total
add

## Addition

plus
sum


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Starting at the bigger number and counting on | Children represent the larger number, using concrete equipment, and then count on in 1s, while adding the correct number of beads, counters etc. $8+4=12$ $12+5=17$ | Children progress to counting on using a number track, then a number line. Flacing cubes on a number track, can help to reinforce children's understanding of the number sequence. $12+5=17$ <br> Circle the larger number. Count on in ones. How many have you got altogether? | Children can begin to calculate mentally, by placing the larger number in their head and counting on in 15, using their fingers to keep track of the count. $5+12=17$ <br> Put the larger number in your head. Count on in ones. How many have you got altogether? |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Regrouping to make 10. | Children can begin to calculate more efficiently, by partitioning the number to be added. They make a whole group of 10 first, then add the remainder. $6+5=11$  <br> Start with the larger number. How many more do you need to make 10 ? How many have you got left to add? | Children can show their understanding of regrouping using a number line. $9+5=14$ <br> (1) 4 | Children regroup mentally, in order to add efficiently. $7+4=11$ <br> Start with the larger number. How many more do you need to make 10 ? How many have you got left to add? |

## * To do this they have to be secure with their number bonds to 10 .

| Objective and <br> Strategies |
| :--- |
| Ading thipe <br> Single digits |
| Children can calculate efficiently, by <br> looking for pairs of numbers that total <br> 10, |



## subtract

## difference

minus

## Subtraction

less
take away

| Objective and <br> Strategies | Concrete | Pictorial | Abstract |
| :--- | :--- | :--- | :--- |
| Taking away | Use s variety of concrete items erdy <br> toys, counters, cubes, to model taking a <br> number away from a group. <br> ones | Cross out drawn objects to show what has been taken <br> sway. | Use numerical recording, <br> slongside concrete and <br> pictorial representations, to <br> help children progress <br> towards an abstract <br> understanding of numbers. |
| $8-2=4$ |  | $8-2=6$ |  |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Counting back | Represent the larger number using concrete equipment. Count back in ones, as you remove the correct number of beads / cubes. | Placing cubes on a number line makes links between different representations. Children can count back using a number track, then number line. <br> Circle the larger number. Count back in 1 s . How many have you got left? | Children can begin to calculate mentally, by placing the larger number in their head and counting back in 1 s , using their fingers to keep track of the count. $13-4=9$ <br> Put the larger number in your head. Count back in ones. How many have you got left? |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Relate subtraction to addition | Use part whole models and culsenaire, rods to help children understand the inverse relationship between addition and subtraction. <br> 10 is the whole. 6 is one of the parts. What is the other part? <br> $9-2$ | Use a pictorial representation of objects to show the part whole model. <br> Use the bar model to help children find related addition and subtraction calculations. | Children can progress to recording numbers within the part whole model. $\begin{array}{ll} 6+4=10 & 10=8+4 \\ 4+6=10 & 10=4+6 \\ 10-4=6 & 6=10-4 \\ 10-6=4 & 4=10-6 \end{array}$ |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Regrouping to make 10 | As with addition, children can begin to calculate more efficiently, by partitioning the number to be subtracted. They subtract part of the number, to leave a multiple of 10 , and then subtract the remainder $14-5=9$ | Children can show their undestanding of regrouping. using a number line. | Children regroup mentally, in order to subtract efficiently. $13-7=6$ <br> How many do you need to subtract to leave 10 ? How many have you got left to subtract? |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Subtracting 2digit numbers using equipment or pictorial support | Represent the calculation on a calculation mat, using Base 10 . Children remove the number to be subtracted. They count the equipment that remains <br> Where regrouping is required, children can exchange one 10 for ten 1 s , before subtracting. $43-26=$ <br> They can now subtract 26. | Children can then draw Base 10 and cross out the number they are subtracting. They count the remaining number, to find out how many are left. $\begin{aligned} & 55-21=34 \\ & \nmid \nmid \\|:: \end{aligned}$ <br> When regrouping is required, children can cross out one ten, and draw ten 1 s in its place, before subtracting. <br> Children can also draw a number line, to support mental calculation. | Children partition the number to be subtracted, to support them in calculating mentally. $43 \cdot 26=23-6=17$ <br> (20) 6 |

## repeated addition

## groups of

## multiply

## Multiplication

times
double

| Objective and <br> Strategies | Concrete | Pictorial | Abstract |
| :--- | :--- | :--- | :--- | :--- |
| Doubling | Use practical activities to show how to <br> double a number. | Draw pictures to show how to double a number. |  |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Counting in multiples | Count in multiples supported by concrete objects in equal groups. <br> Use Cuisenaire rods to support use of model | Use a number line or pictures to continue support in counting in multiples. | Count in multiples of a number aloud. <br> Write sequences with multiples of numbers. <br> 2, 4, 6, 8, 10 <br> 5, 10, 15, 20, 25,30 |


| Objective and Strategies | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Repeated addition－ linking to multiplication | $5+5+5=15$ <br> 3 groups of 5 equals 15 $3 \times 5=15$ $3+3+3$ $\begin{aligned} & 3+3+3=9 \\ & 3 \times 3=9 \end{aligned}$ <br> 3 groups of $3=9$ <br> Use Cuisenaire rods to show repeated addition | There awe 3 plates．Each plate has 2 star biscuts on．How many Bisculsi are nere？ <br> 2 add 2 add 2 equals 6 <br> 3 groups of $2=3 \times 2=6$ $5+5+5=15$ <br> 3 groups of $5=3 \times 5=15$ | Write addition sentences to describe objects and pictures． <br> 5 groups of $2=5 \times 2=10$ |


| Objective and <br> Strategies | Concrete | Pictorial |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Arraysshowing commutative multiplication | Create arrays using counters/ cubes to show multiplication sentences. |  | different rotations to find sentences. | mmutative e.e $6 \times 4=24$ | Use an array to writemultiplication sentences and reinforce repeated addition. |  |
|  |  | $\left.\begin{array}{l}000 \\ 000 \\ 000 \\ 000 \\ 000 \\ 000 \\ 000\end{array}\right] \quad$ ? |  |  | $\begin{aligned} & 5+5+5=15 \\ & 3+3+3+3+3=15 \\ & 5 \times 3=15 \\ & 3 \times 5=15 \end{aligned}$ |  |
|  |  |  |  |  |  | $5+5+5=15$ |
|  |  |  |  |  | (3) (8) 3 | $\underbrace{3} \text { moner }$ |

## divided by

shared by

## Division

half
equal groups of


| Objective and Strategies | Concrete | Pictorial | Abstact |
| :---: | :---: | :---: | :---: |
| Division as grouping | Divide quantities into equal groups. Use cubes, counters, objects or place value counters to aid understanding. | Use a number line to show jumps in groups. The number of jumps equals the number of groups. <br> Think of the bar as a whole. Split it into the number of groups you are dividing by and work out how many would be within each group. $20 \div 4=5$ <br> 20 divided into groups of 4 equalls 5 | $28 \div 7=4$ <br> Divide 28 into 7 groups. How many are in each group? |
|  | $20 \div 5=4$ | 20    <br> 5 5 5 5 |  |


| Objective and <br> Strategies | Concrete | Pictorial | Abstract |
| :--- | :--- | :--- | :--- | :--- |
| Division within |  |  |  |
| arrays |  |  |  |

## Working at the expected standard

- add and subtract any 2 two-digit numbers using an efficient strategy, explaining their method verbally, in pictures or using apparatus (e.g. $48+35 ; 72-17$ )
- recall all number bonds to and within 10 and use these to reason with and calculate bonds to and within 20, recognising other associated additive relationships
(e.g. If $7+3=10$, then $17+3=20$; if $7-3=4$, then $17-3=14$; leading to if $14+3=$ 17 , then $3+14=17,17-14=3$ and $17-3=14$ )
- recall multiplication and division facts for 2,5 and 10 and use them to solve simple problems, demonstrating an understanding of commutativity as necessary


## Working at greater depth

- use reasoning about numbers and relationships to solve more complex problems and explain their thinking (e.g. $29+17=15+4+\square$;' 'together Jack and Sam have $£ 14$. Jack has $£ 2$ more than Sam. How much money does Sam have?' etc.)
- solve unfamiliar word problems that involve more than one step (e.g. 'which has the most biscuits, 4 packets of biscuits with 5 in each packet or 3 packets of biscuits with 10 in each packet?')


12
$7+84=$ $\square$
$1168+20=\square$ 8 $8_{\text {tioltiol }}^{88}$

12
$7+84=91$
84 47nmanfl
(24) Sam plays a moths game.

Eoch
is equol to $\mathbf{2}$ points.
$\int^{3} 3+O+O=10$ points

How many points is one 13 equal to?

(2) There are $\mathbf{1 0 0} \mathbf{g}$ of chocolate chips in the bog. Sito uses $\mathbf{2 5 g}$.

Ben uses $\mathbf{3 5} \mathbf{g}$.


How many groms of chocolote chips are left in the bag?


24 Sam ploys a moths gane.
Sam ploys a motha gane



How mony points is one

$2+2=4$
$4=6$
(2) There are 100 g of chocolote cilips in the bag.

Sita uses $\mathbf{2 5} \mathbf{g}$.
Ben uses $\mathbf{3 5} \mathbf{g}$.


How mony groms of chocolote chips are left in the bog?


